

Three-dimensional Modeling and Stress Calibration for a Complex Mining Geometry





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The LKAB Mining Company

- Iron ore producer
- Two underground mines in operation
 - Kiruna
 - 1 orebody (Kiirunavaara)
 - Annual production ≈ 29 Mton
 - Malmberget
 - 10 actively mined orebodies
 - Annual production \approx 15 Mton
- Mining only with sublevel caving method









The LKAB Malmberget Mine

- Many orebodies of varying size and shape (8 km² area)
- Hard, strong rock mixed with weak, soft rock + some largescale structures
- Mining currently at 400-900 m depth







Objective & Scope

- Study stress situation for potential continued mining towards greater depths
- Stress calibration against stress measurements using numerical modeling
- Use of calibrated model:
 - Study stresses at existing infrastructure
 - Study stresses at potential future haulage level locations
 - Input to local models





Model setup – orebodies









Rock materials

orebodies



orebodies + biotite-zone







Rock stress data





Stress calibration

- Assumptions:
 - Primary stress (before mining) is horizontally and vertically oriented, thus: $\tau_{xz} = 0$

$$\tau_{yz} = 0$$

- Linear-elastic
- Vertical stress is primarily gravitational
- Each stress component can be described by:

$$\sigma_{ij}^{total} = \sigma_{ij}^{constant} + \sigma_{ij}^{gradient} \cdot z + \sigma_{ij}^{gravitation}$$

- Unit stresses + superposition, two solving methods:
 - Excel Solver
 - Genetic Algorithms

McKinnon, S. D. 2001. Analysis of stress measurements using a numerical model methodology. *Int. J. Rock Mech. Min. Sci.*, **38**, pp. 699-709.





Stress calibration

Unit stresses (7 different cases)



gravitation ($g = 9.81 \text{ m/s}^2$)

Stress relation for each component exemplified for σ_{x}

$$\sigma_x^{calc} = A\sigma_x^{\sigma_x^{constant}} + B\sigma_x^{\sigma_y^{constant}} + C\sigma_x^{\tau_{xy}^{constant}} + D\sigma_x^{\sigma_x^{gradient}} + E\sigma_x^{\sigma_y^{gradient}} + F\sigma_x^{\tau_{xy}^{gradient}} + G\sigma_x^{gravitation}$$





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Results

$$\sigma_x^{calc} = D\sigma_x^{\sigma_x^{gradient}} + E\sigma_x^{\sigma_y^{gradient}} + F\sigma_x^{\tau_{xy}^{gradient}} + G\sigma_x^{gravitation}$$

Case	Description	D	E	F	G	Mean error
Solver case 1	5 points	0.02909	0.02665	-0.01169	-1.0	20.9 %
Solver case 2	5 points Biotite	0.02995	0.02733	-0.01217	-1.0	33.5 %
GA case 1	5 points Constraints	0.02204	0.01984	-0.01132	-1.0	21.7 %
GA case 2	5 points Biotite Constraints	0.02300	0.02020	-0.01212	-1.0	23.1 %
σ _H = 0.0396 z						
σ _h = 0.0161 z						
$\sigma_v = \rho g h / 10^6 (\sim 0.0265 z)$						
Orientation of $\sigma_{\rm H} = 132^{\circ}$						



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Applications





Conclusions

- Boundary stresses were successfully determined:
 - Two alternative methods were used
 - The Genetic Algorithms method is more general and can find the global error minimum
 - The Solver method resulted in a lower mean error (additional constraints only with GA method)
- The resulting stress state is in fair agreement with previous calibration and earlier assumptions of the stress field
- The derived stress equations represent an average stress state for the entire model; local variations in the rock mass are likely
- Calibrated model successfully used for assessment of infrastructure location, overall stress evaluation, input to local models







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